

1703 Metal Processing Plant

Yulia works for a metal processing plant in Ekaterinburg. This plant processes ores mined in the Ural mountains, extracting precious metals such as chalcopyrite, platinum and gold from the ores. Every month the plant receives n shipments of unprocessed ore. Yulia needs to partition these shipments into two groups based on their similarity. Then, each group is sent to one of two ore processing buildings of the plant.

To perform this partitioning, Yulia first calculates a numeric distance $d(i, j)$ for each pair of shipments $1 \leq i \leq n$ and $1 \leq j \leq n$, where the smaller the distance, the more similar the shipments i and j are. For a subset $S \subseteq \{1, \dots, n\}$ of shipments, she then defines the *disparity* D of S as the maximum distance between a pair of shipments in the subset, that is,

$$D(S) = \max_{i, j \in S} d(i, j).$$

Yulia then partitions the shipments into two subsets A and B in such a way that the sum of their disparities $D(A) + D(B)$ is minimized. Your task is to help her find this partitioning.



Picture from Wikimedia Commons

Input

The input file contains several test cases, each of them as described below.

The first line contains an integer n ($1 \leq n \leq 200$) indicating the number of shipments. The following $n - 1$ lines contain the distances $d(i, j)$. The i -th of these lines contains $n - i$ integers and the j -th integer of that line gives the value of $d(i, i + j)$. The distances are symmetric, so $d(j, i) = d(i, j)$, and the distance of a shipment to itself is 0. All distances are integers between 0 and 10^9 (inclusive).

Output

For each test case, the output must follow the description below, on a line by itself.

Display the minimum possible sum of disparities for partitioning the shipments into two groups.

Sample Input

```
5
4 5 0 2
1 3 7
2 0
4
7
1 10 5 5 5 5
5 10 5 5 5
100 100 5 5
10 5 5
```

98 99

3

Sample Output

4

15