

## 11883 Repairing a Road

You live in a small town with  $R$  bidirectional roads connecting  $C$  crossings and you want to go from crossing 1 to crossing  $C$  as soon as possible. You can visit other crossings before arriving at crossing  $C$ , but it's not mandatory.

You have exactly one chance to ask your friend to repair exactly one existing road, **from the time you leave crossing 1**. If he repairs the  $i$ -th road for  $t$  units of time, the crossing time after that would be  $v_i a_i^{-t}$ . It's not difficult to see that it takes  $v_i$  units of time to cross that road if your friend doesn't repair it. You cannot start to cross the road when your friend is repairing it.

### Input

There will be at most 25 test cases. Each test case begins with two integers  $C$  and  $R$  ( $2 \leq C \leq 100$ ,  $1 \leq R \leq 500$ ). Each of the next  $R$  lines contains two integers  $x_i, y_i$  ( $1 \leq x_i, y_i \leq C$ ) and two positive floating-point numbers  $v_i$  and  $a_i$  ( $1 \leq v_i \leq 45$ ,  $1 \leq a_i \leq 5$ ), indicating that there is a bidirectional road connecting crossing  $x_i$  and  $y_i$ , with parameters  $v_i$  and  $a_i$  (see above). Each pair of crossings can be connected by at most one road. The input is terminated by a test case with  $C = R = 0$ , you should not process it.

### Output

For each test case, print the smallest time it takes to reach crossing  $C$  from crossing 1, rounded to 3 digits after decimal point. It's always possible to reach crossing  $C$  from crossing 1.

### Sample Input

```
3 2
1 2 1.5 1.8
2 3 2.0 1.5
2 1
1 2 2.0 1.8
0 0
```

### Sample Output

```
2.589
1.976
```