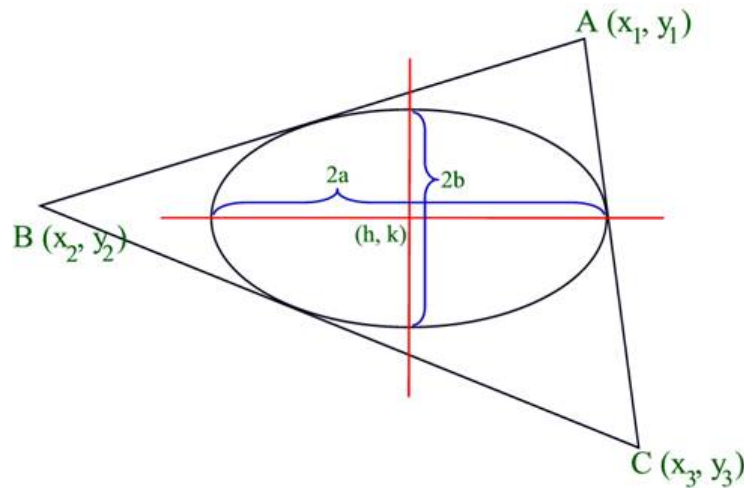


## 11674 In-Ellipse

An in-ellipse of a triangle is an ellipse which touches all the sides of the triangle internally. In the figure below you can see a triangle ABC and one of its axis parallel in-ellipse.



Given the coordinate of vertices of a triangle, your job is to find that axis parallel in-ellipse. Note that any axis-parallel in-ellipse can be expressed uniquely with an equation of the following form:

$$\frac{(x - h)^2}{a^2} + \frac{(y - k)^2}{b^2} = 1$$

Here  $(h, k)$  is the center of the ellipse (Intersection point of major and minor axis) and  $2a$  is the length of the major axis and  $2b$  is the length of the minor axis. So an axis-parallel ellipse can be uniquely described with four parameters  $h$ ,  $k$ ,  $a$  and  $b$ . For this problem  $b$  can be greater than  $a$ .

### Input

The input file contains at most 10001 lines of inputs. Each line contains seven floating-point numbers  $x_1, y_1, x_2, y_2, x_3, y_3, El\_A$ . The first six floating-point numbers denote that the three vertices of the triangle in counter-clockwise order are  $(x_1, y_1)$ ,  $(x_2, y_2)$  and  $(x_3, y_3)$ . The seventh floating-point number  $El\_A$  denotes the the area of in-ellipse of this triangle. Note that  $(0 \leq x_1, y_1, x_2, y_2, x_3, y_3 \leq 5000)$  and  $(0 < El\_A < 1000000)$ . Input is terminated by a line where the given area of the in-ellipse is negative. This line should not be processed.

### Output

For each line of input produce one line of output. This line contains four floating-point numbers. These numbers denote the value of  $h$ ,  $k$ ,  $a$  and  $b$  of the desired (Axis parallel in-ellipse of the given triangle and having area  $El\_A$ ) ellipse. All these floating-point numbers should have ten (10) digits after the decimal point. For every input there will be a solution. If there is more than one solution, any one will be accepted. There is an special judge to ignore small precision errors. Also the value of  $a/b$  should be within 0.1 and 10 to not allow ellipses that are almost straight line.

**Sample Input**

97.6419300000 2129.1127667152 155.3286100000 1702.4002779560 385.0688800000 748.0494778467 1781.9759297640  
138.7581800000 246.7354898358 352.2499900000 197.8134603618 54.2186200000 300.6027786815 423.6516437136  
1727.1587740317 349.0465400000 479.4245277302 84.8220300000 1561.3000471558 179.7437900000 -44.3989182783

**Sample Output**

165.0883167048 1730.5402621884 11.9500482151 47.4659637479  
143.3157614522 257.5968732740 11.6210876787 11.6041209071