

## 11478 Halum

You are given a directed graph  $G(V, E)$  with a set of vertices and edges. Each edge  $(i, j)$  that connects some vertex  $i$  to vertex  $j$  has an integer cost associated with that edge.

Define the operation  $Halum(v, d)$  to operate on a vertex  $v$  using an integer  $d$  as follows: subtract  $d$  from the cost of all edges that enter  $v$  and add  $d$  to the cost of every edge that leaves  $v$ .

As an example of that operation, consider graph  $G$  that has three vertices named  $(1, 2, 3)$  and two edges. Edge  $(1, 2)$  has cost  $-1$ , and edge  $(2,3)$  has cost  $1$ . The operation  $Halum(2, -3)$  operates on edges entering and leaving vertex  $2$ . Thus, edge  $(1, 2)$  gets cost  $-1-(-3)=2$  and the edge  $(2, 3)$  gets cost  $1 + (-3) = -2$ .

Your goal is to apply the Halum function to a graph, potentially repeatedly, until every edge in the graph has at least a certain cost that is greater than zero. You have to maximize this cost.

### Input

Two space-separated integers per case:  $V$  ( $V \leq 500$ ) and  $E$  ( $E \leq 2700$ ).  $E$  lines follow. Each line represents a directed edge using three space-separated integers  $(u, v, d)$ . Absolute value of cost can be at most  $10000$ .

### Output

If the problem is solvable, then print the maximum possible value. If there is no such solution print 'No Solution'. If the value can be arbitrary large print 'Infinite'

### Sample Input

```
2 1
1 2 10
2 1
1 2 -10
3 3
1 2 4
2 3 2
3 1 5
4 5
2 3 4
4 2 5
3 4 2
3 1 0
1 2 -1
```

### Sample Output

```
Infinite
Infinite
3
1
```