## 10883 Supermean

"I have not failed. I've just found 10,000 ways that won't work."
Thomas Edison
Do you know how to compute the mean (or average) of $n$ numbers? Well, that's not good enough for me. I want the supermean! "What's a supermean," you ask? I'll tell you. List the $n$ given numbers in non-decreasing order. Now compute the average of each pair of adjacent numbers. This will give you $n-1$ numbers listed in non-decreasing order. Repeat this process on the new list of numbers until you are left with just one number - the supermean. I tried writing a program to do this, but it's too slow. :-( Can you help me?

## Input

The first line of input gives the number of cases, N. N test cases follow. Each one starts with a line containing $n(0<n \leq 50000)$. The next line will contain the $n$ input numbers, each one between -1000 and 1000 , in non-decreasing order.

## Output

For each test case, output one line containing 'Case \#x:' followed by the supermean, rounded to 3 fractional digits.

## Sample Input

4
1
10.4

2
1.02 .2

3
123
5
12345

## Sample Output

Case \#1: 10.400
Case \#2: 1.600
Case \#3: 2.000
Case \#4: 3.000

